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# DEVELOPMENT OF A 1D CANOPY MODULE TO IMPROVE SURFACE PARAMETERIZATIONS

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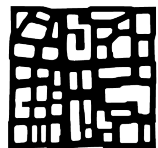
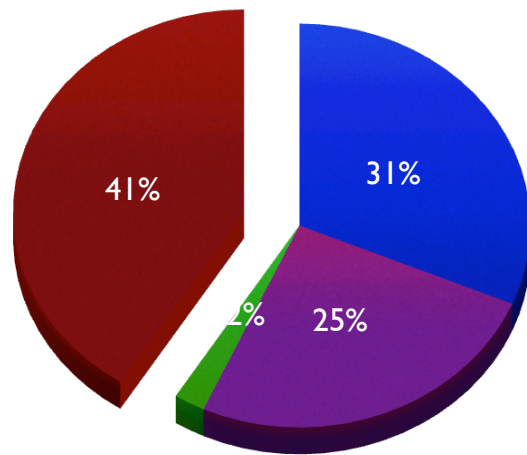


Image  
Ville  
Environnement



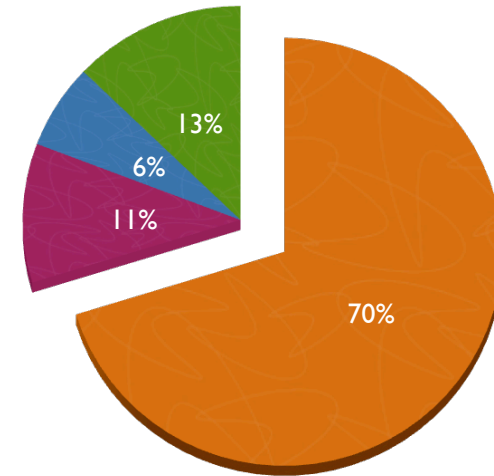
# BUILDINGS, ENERGY USE & CLIMATE CHANGE

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Energy consumption by sectors

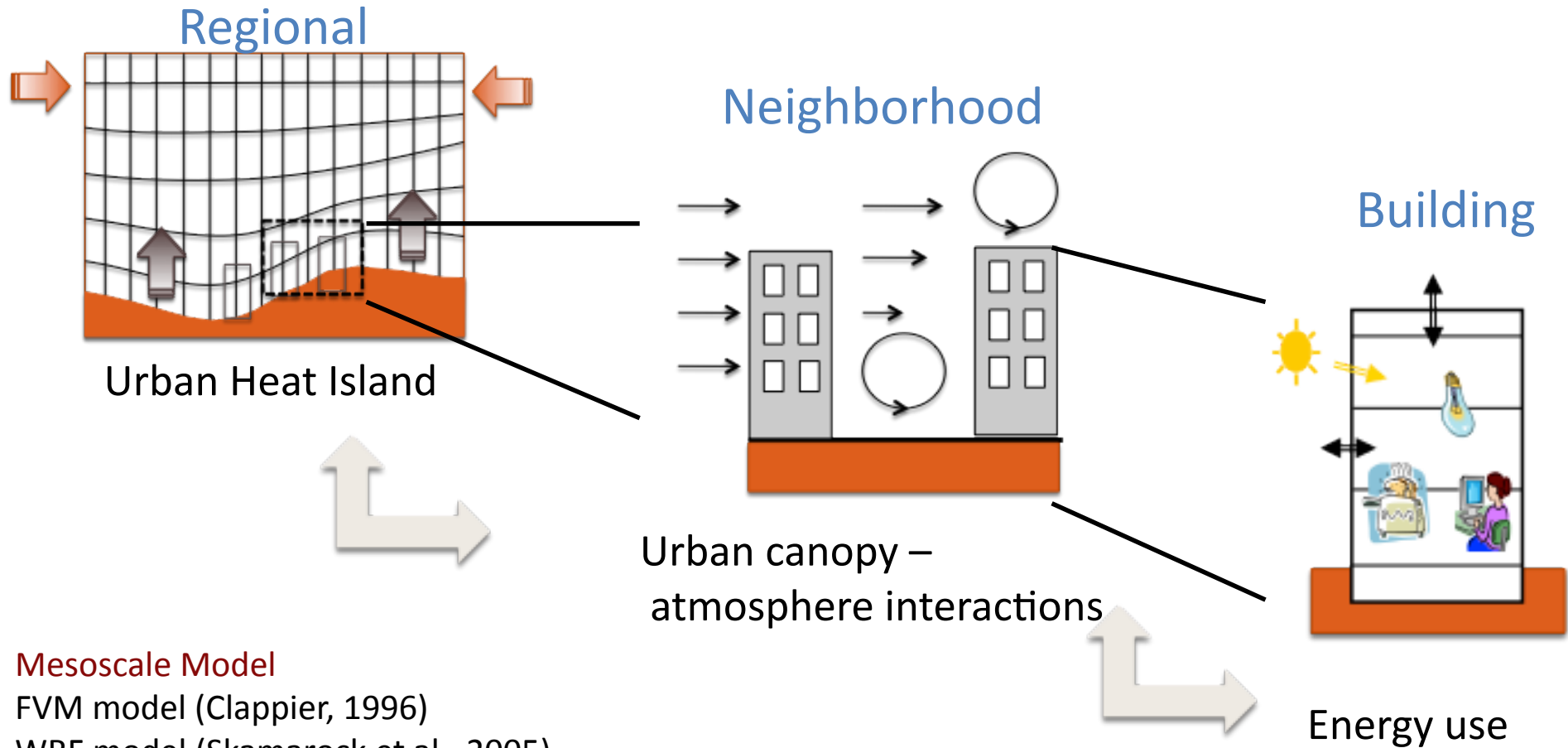
- Transport
- Industries
- Other sectors
- Residential



Energy use inside buildings

- Heating/ Air conditioning
- Sanitary hot water
- Cooking
- Specific electricity (light, ...)

# INTERACTIONS AT DIFFERENT SCALES



## Mesoscale Model

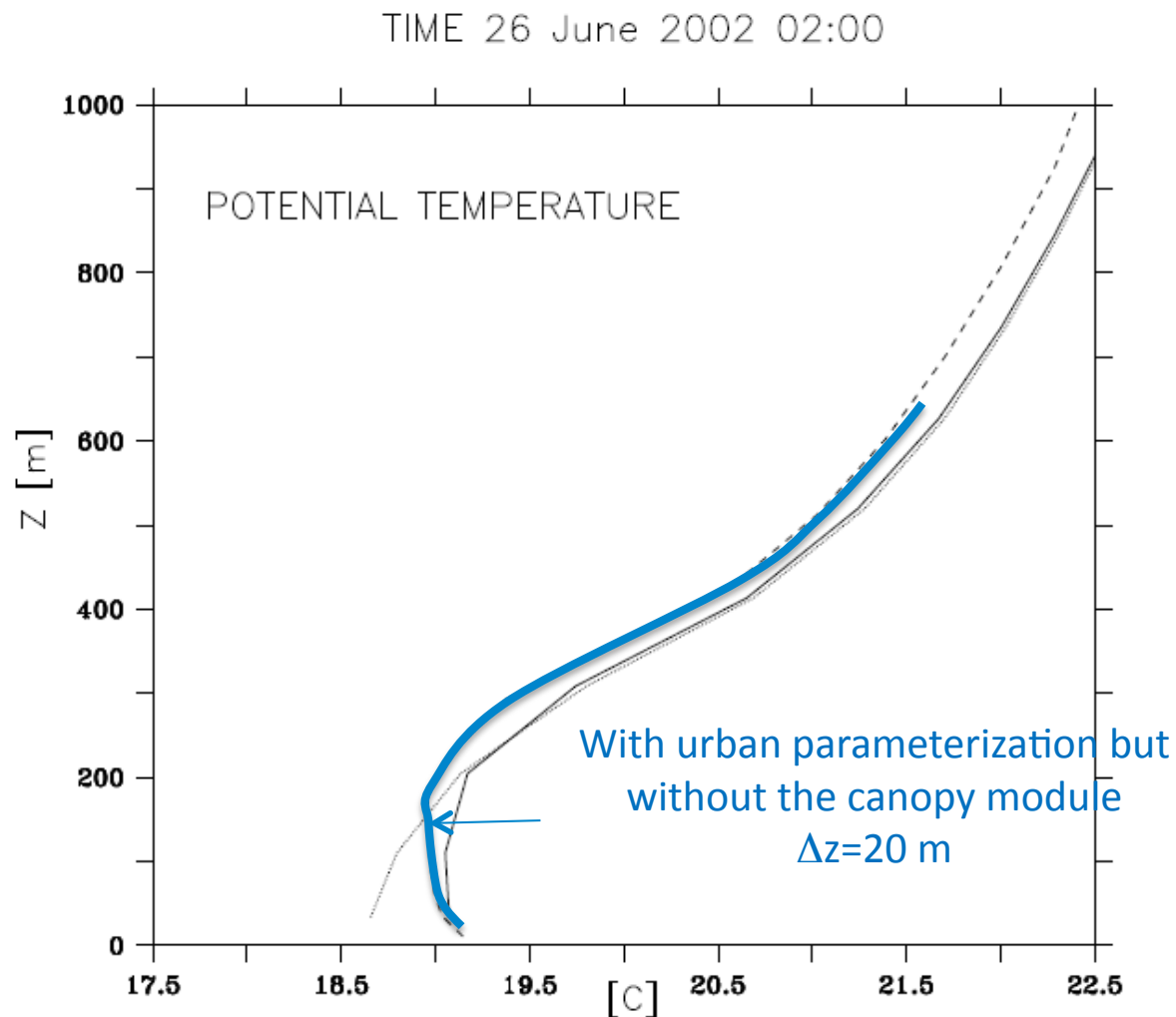
FVM model (Clappier, 1996)

WRF model (Skamarock et al., 2005)

## Microscale Model/Parameterizations

BEP-BEM (Martilli et al., 2002, Krpo et al., 2010, Salamanca et al., 2010)

# WHY USE A CANOPY MODULE?



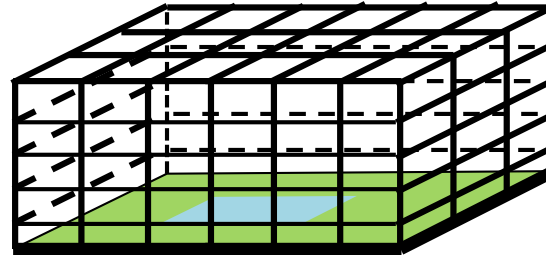
*Use of a column module in the urban canopy model improves the simulations of mesoscale model with a low vertical resolution.*

*(Müller C., 2007)*

# THE CANOPY MODULE

## MESOSCALE MODEL

WRF model (Skamarock et al., 2004)  
FVM model (Clappier, 1996)

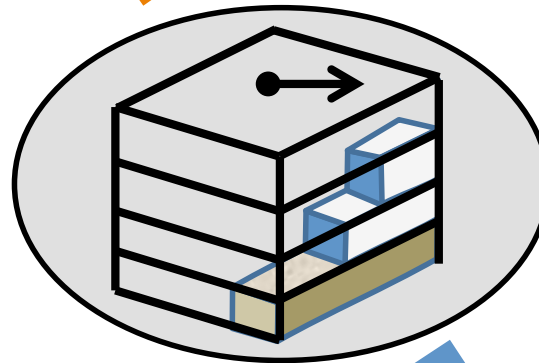


U – Wind speed  
Θ – Potential temperature  
F- Fluxes

$F_{U\ canopy}, F_{\theta\ canopy}$

$U_{meso}, \theta_{meso}$

## Canopy model

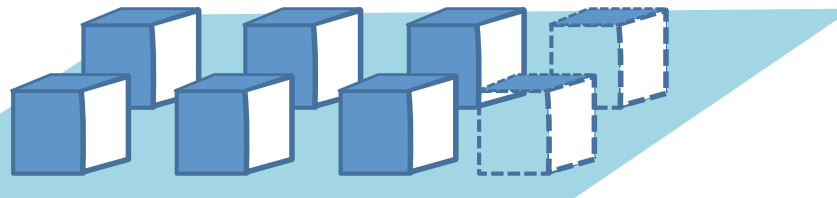


$F_{U\ surface}, F_{\theta\ surface}$

$U_{canopy}, \theta_{canopy}$

## SURFACE PARAMETRIZATION/ MICRO SCALE MODELS

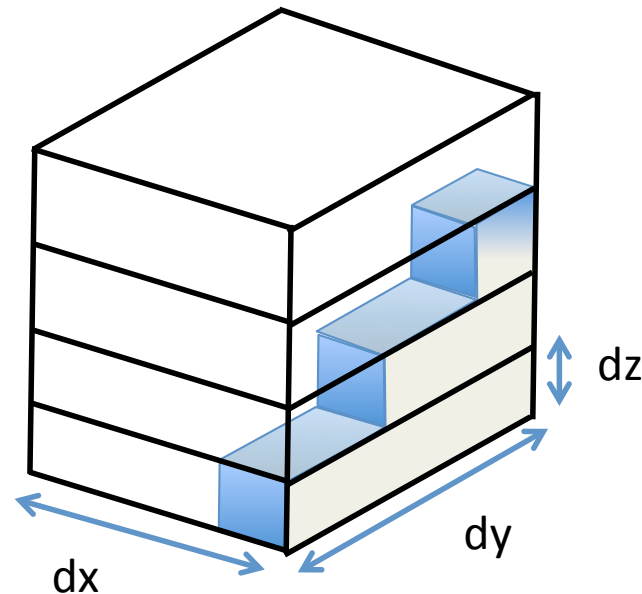
BEP-BEM (Martilli et al., 2002, Krpo et al., 2010, Salamanca et al., 2010)



# THE CANOPY MODULE

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- 1-D column
  - Forced at the top by a mesoscale meteorological model

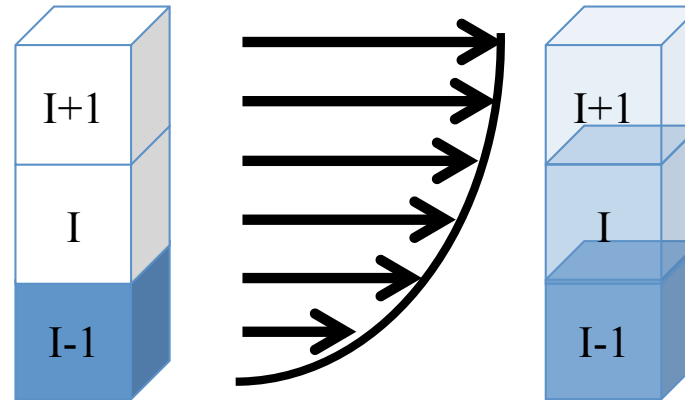


- Obstacles Representation
  - Surface porosities and volume porosities

# DIFFUSION IN THE CANOPY

$U_{\text{top}}, \theta_{\text{top}}, \dots$

$U_i, \theta_i, \dots$



' $\phi$ ' – volume porosities  
' $\varphi$ ' – surface porosities  
' $F$ ' – source fluxes

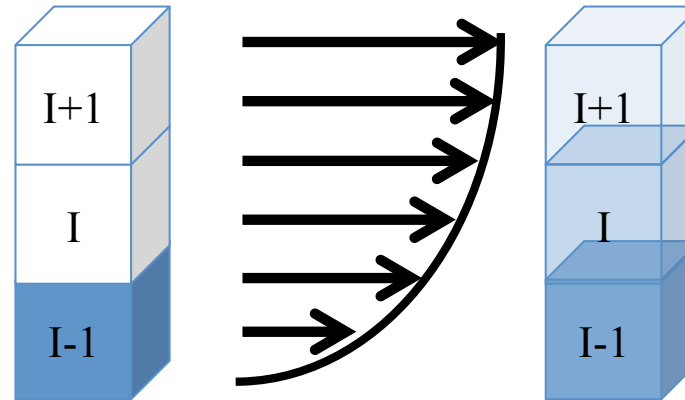
$$\frac{\partial U}{\partial t} = \frac{\partial}{\partial z} \left( \mu_t \frac{\partial U}{\partial z} \right) + F_u$$

' $\mu_d$ ' – diffusion coefficient  
' $U$ ' – wind speed ( $\text{ms}^{-1}$ )  
' $F_u$ ' – Source fluxes

# DIFFUSION IN THE CANOPY

$U_{\text{top}}, \theta_{\text{top}}, \dots$

$U_i, \theta_i, \dots$



' $\phi$ ' – volume porosities  
' $\varphi$ ' – surface porosities  
' $F$ ' – source fluxes

$$U_I^{t+1} = U_I^t + \Delta t \frac{\varphi_i}{\phi_I} \mu_t \frac{U_{I-1} - U_I}{\Delta z} + \Delta t \frac{\varphi_{i+1}}{\phi_I} \mu_t \frac{U_I - U_{I+1}}{\Delta z} + F_u$$

' $\mu_d$ ' – diffusion coefficient  
' $U$ ' – wind speed ( $\text{ms}^{-1}$ )  
' $F_u$ ' – Source fluxes

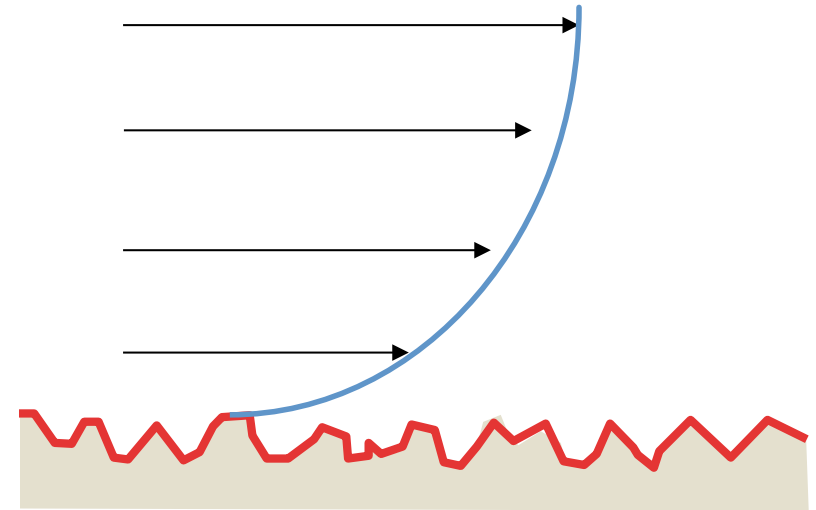


# INTERACTION IN THE CANOPY– WITHOUT OBSTACLES

## – Horizontal surfaces

Momentum fluxes  $\vec{F}_U^H = \frac{|U^{hor}| \vec{U} k^2}{\left(\ln\left(\frac{z}{z_0}\right)\right)^2}$

Heat fluxes  $F_\theta^H = \frac{U(\theta - \theta_{surf}) k^2}{\left(\ln\left(\frac{z}{z_0}\right)\right)^2}$



# TURBULENT KINETIC ENERGY

$$\frac{\partial E_k}{\partial t} = \left( \mu_t \frac{\partial E_k}{\partial z} \right) + \mu_t \left( \frac{\partial U}{\partial z} \right)^2 - \frac{\mu_t g}{Pr \vartheta} \left( \frac{\partial \vartheta}{\partial z} \right) - C_\varepsilon \frac{E_k^{\frac{3}{2}}}{l}$$

'E<sub>k</sub>' – T.K.E  
 'g' – acc. due to gravity  
 'ϑ' – potential temperature  
 'Pr' – Prandtl number

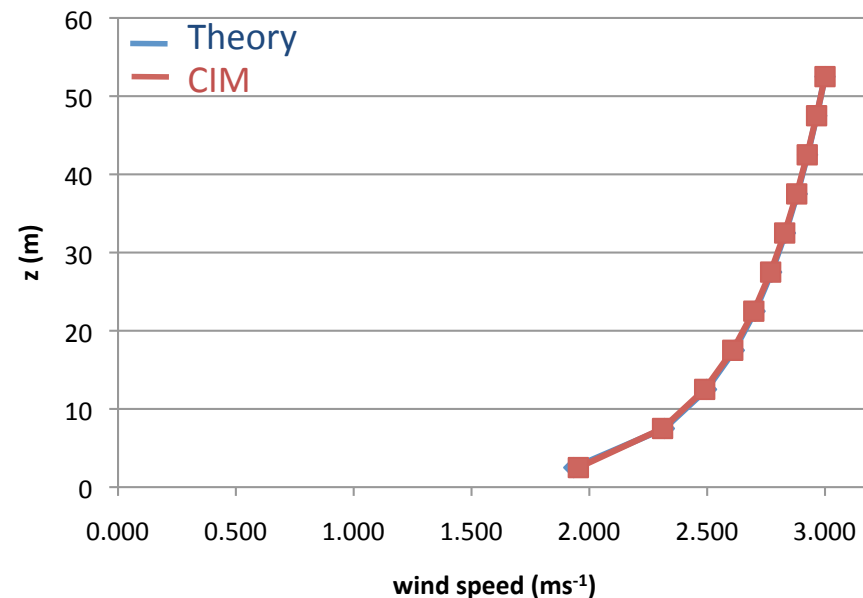
Diffusion

Mechanical  
Production

Buoyancy

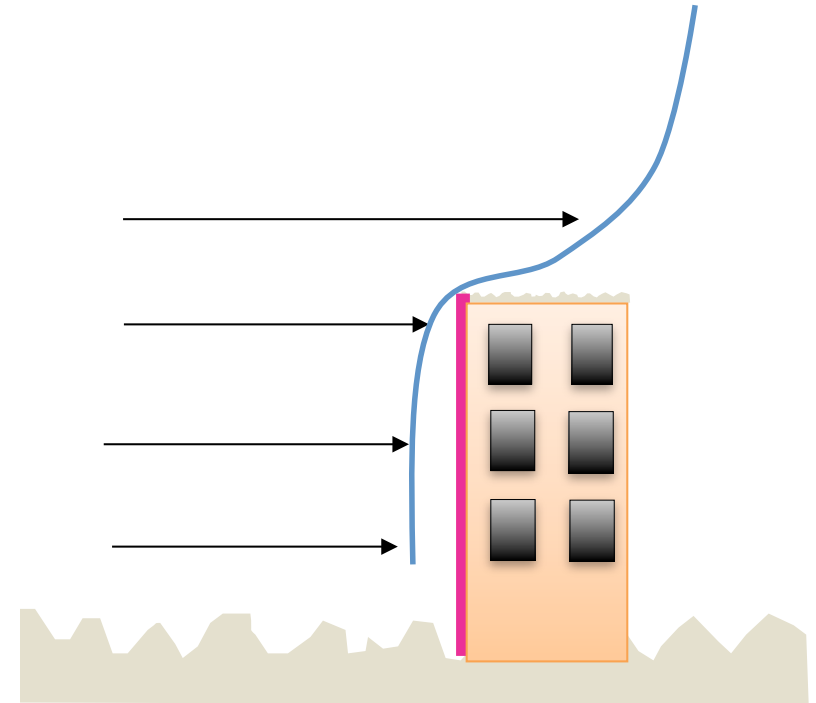
Dissipation

$$\mu_t = C_\mu \sqrt{E} l$$



Wind speed profile with a logarithmic law

# INTERACTION IN THE CANOPY– WITH OBSTACLES



## - Vertical surfaces

Momentum fluxes  $\vec{F}_U^V = C_{drag} |U^{hor}| \vec{U}$

Heat fluxes  $F_\theta^V = \frac{\eta_x}{2C_p} (\theta - \theta_{surf}) - \frac{\eta_y}{2C_p} (\theta - \theta_{surf})$

' $\eta$ ' – constant proportional to wind speed

' $C_p$ ' – Heat capacity at constant pressure

# WITH OBSTACLES

Presence of obstacles modifies:

-mixing length

$$l = z - d$$

$$d = h(1 - \phi)^{0.13}$$

Where ' $l$ ' – mixing length

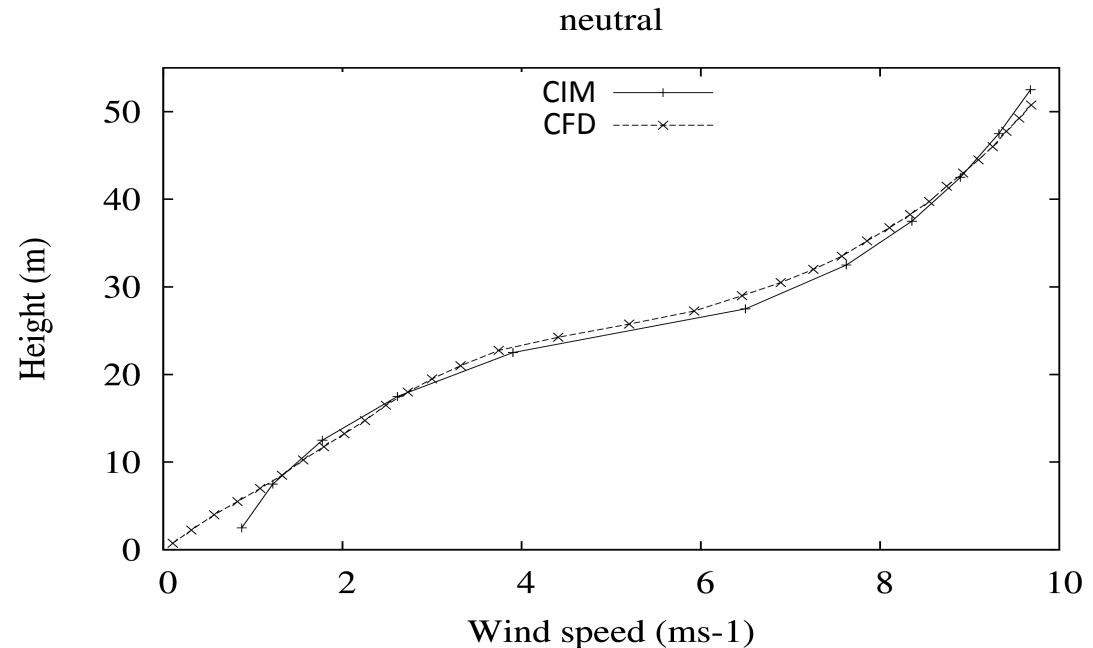
' $z$ ' - height

' $d$ ' – displacement height

' $h$ ' – building height

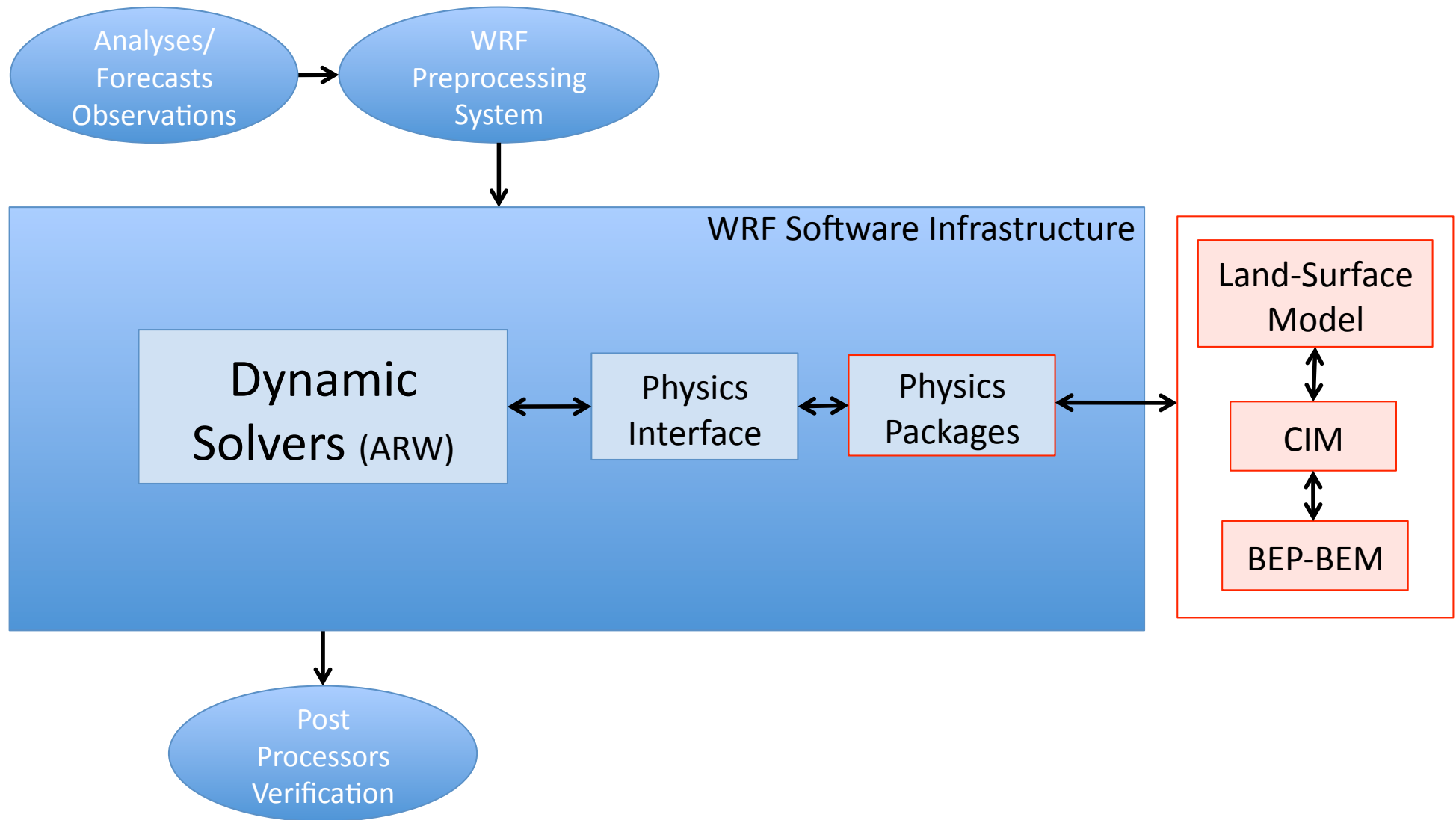
' $vcp$ ' – volume porosity

From Santiago & Martilli, 2010

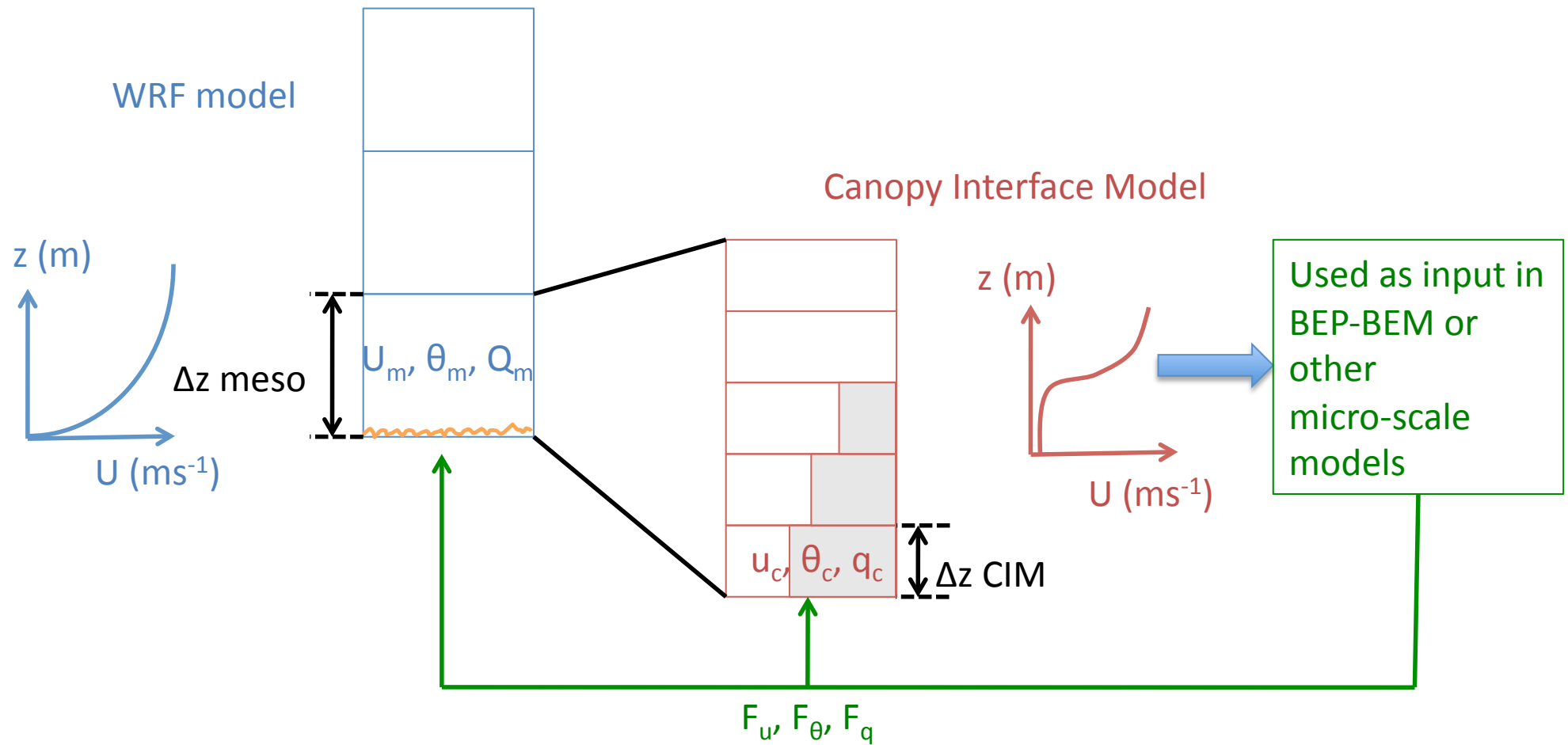


Wind speed profile with obstacles of 25m high in a domain of 1km\*1km and 50m high

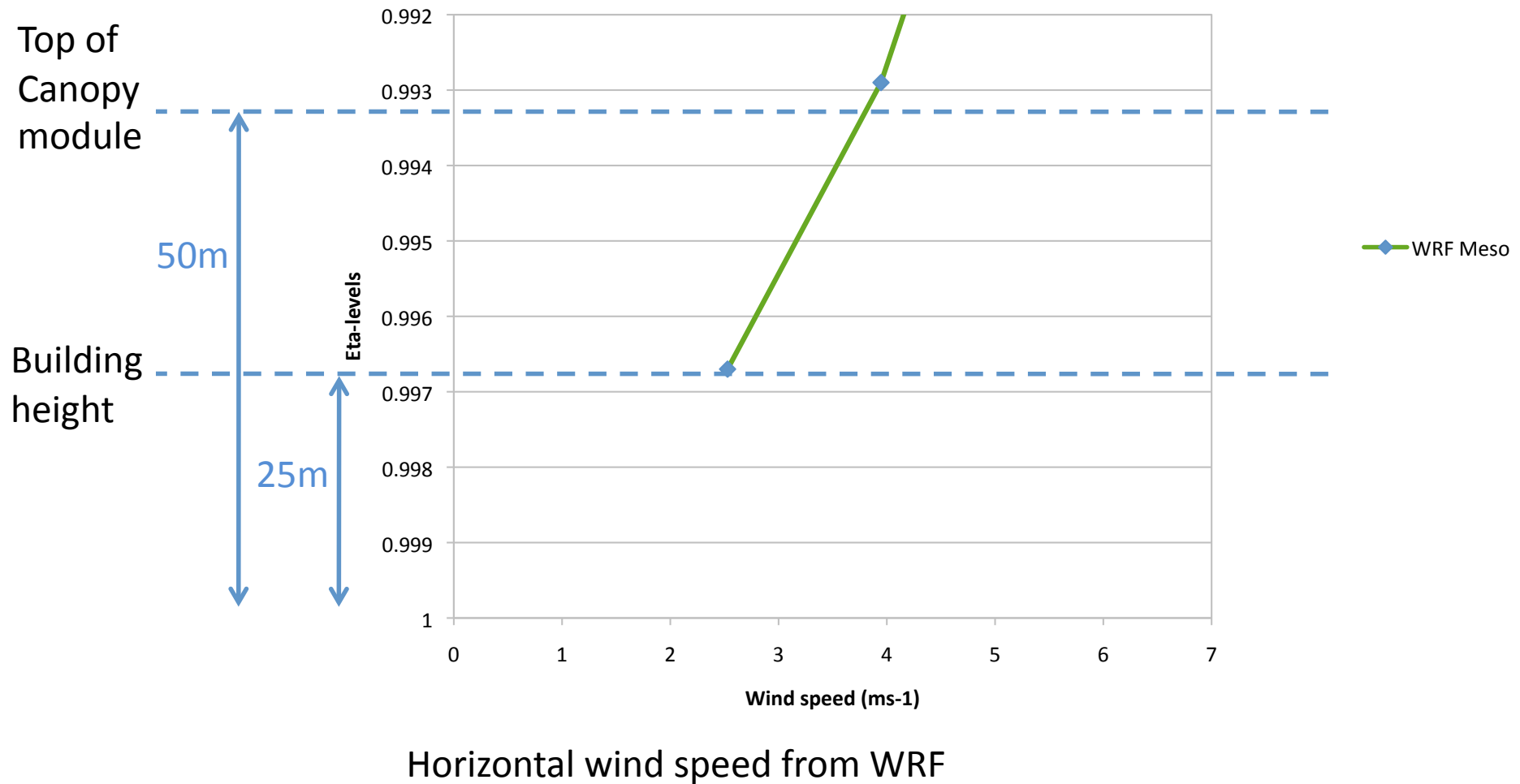
# WRF – COUPLING TO CIM (1)



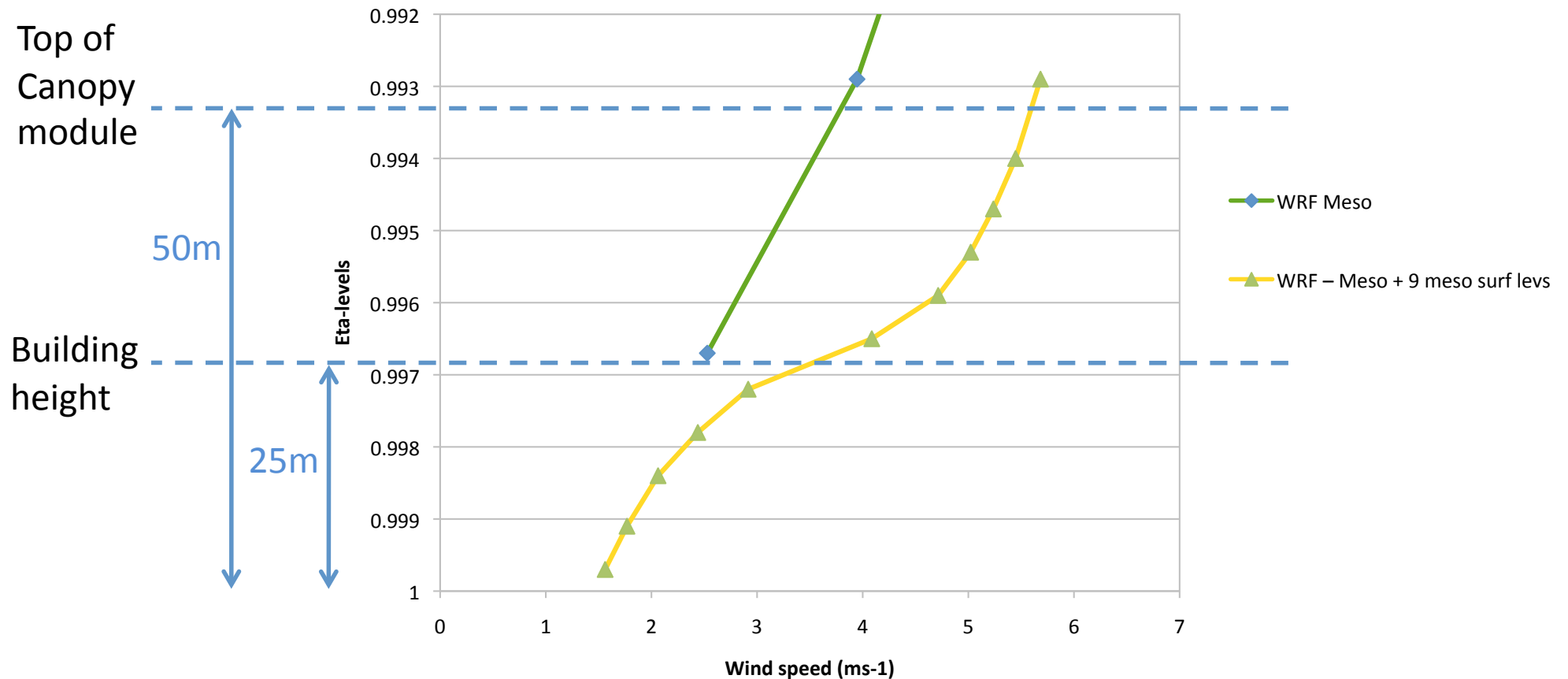
# WRF – COUPLING TO CIM (2)



# PRELIMINARY RESULTS: SENSIBILITY TESTS



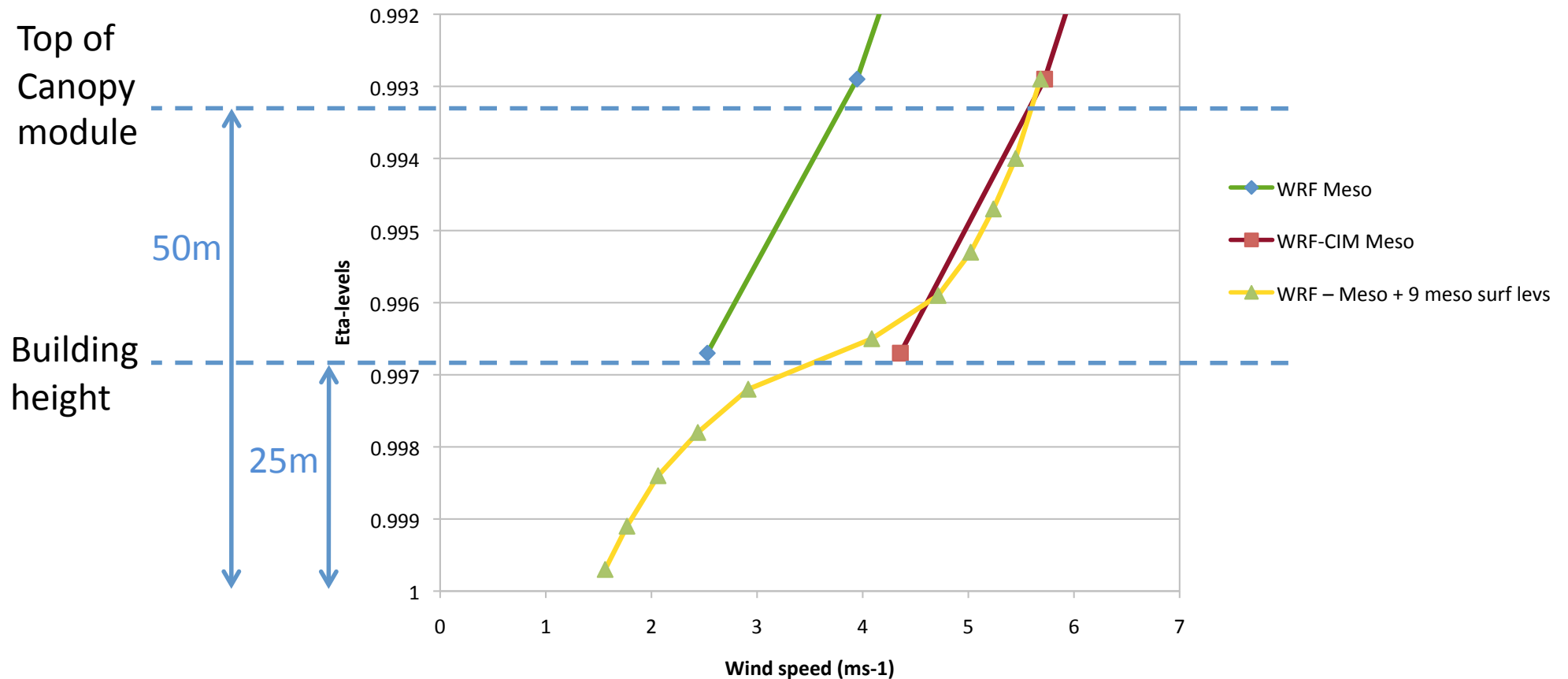
# PRELIMINARY RESULTS: SENSIBILITY TESTS



Horizontal wind speed from WRF

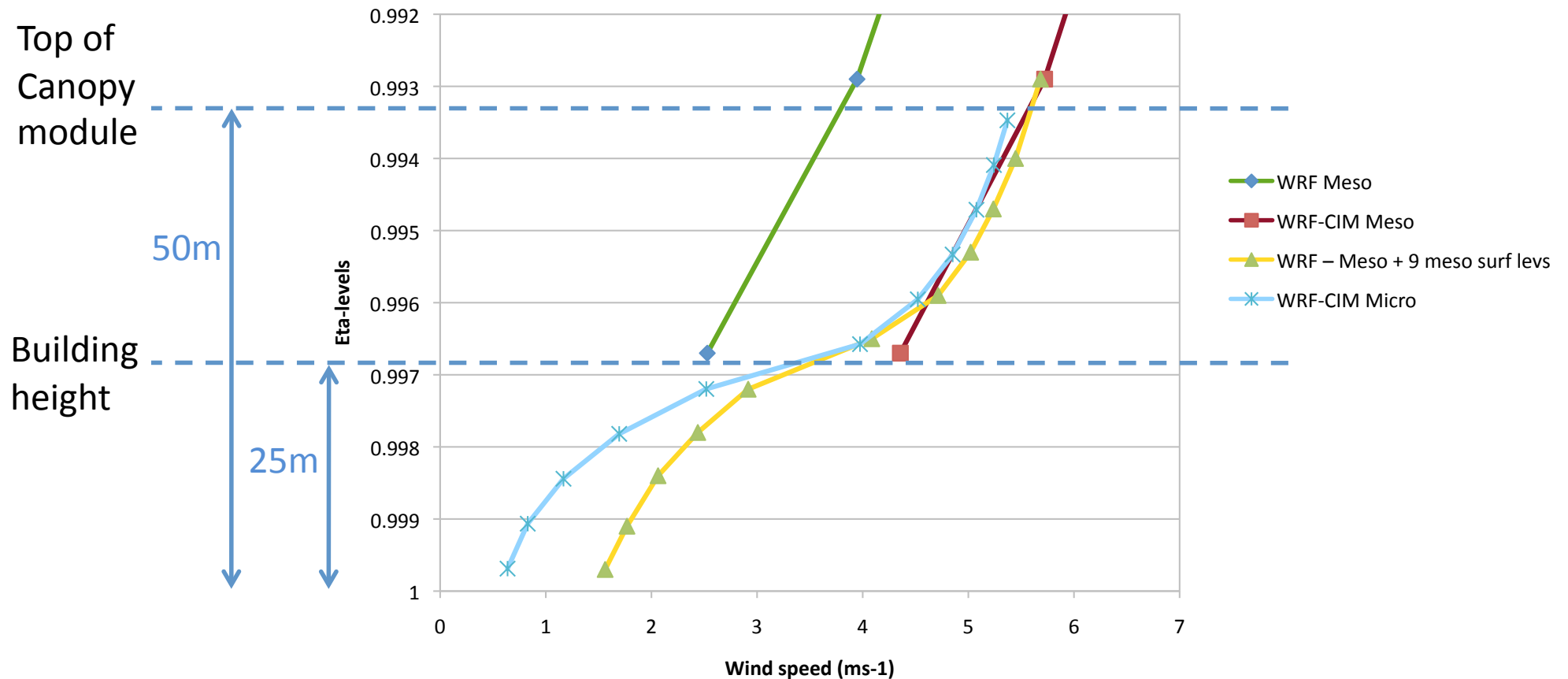


# PRELIMINARY RESULTS: SENSIBILITY TESTS



Horizontal wind speed from WRF and WRF+CIM

# PRELIMINARY RESULTS: SENSIBILITY TESTS



Horizontal wind speed from WRF and WRF+CIM

# CONCLUSIONS & PERSPECTIVES

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- CIM 1D – diffusion model
- Interface to improve calculation of meteorological variables in the surface layer
- Capacity to reduce:
  - vertical resolution
  - in computational time
- Improvement in the reproduction of the urban boundary layer
- Used in mesoscale model but can be applied to global models



# THANK YOU FOR YOUR ATTENTION

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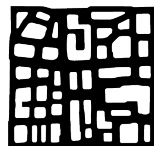


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